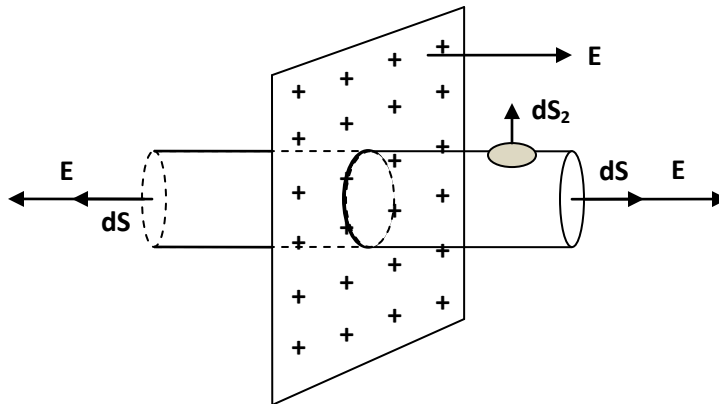


**COMMON PRE-BOARD EXAMINATION 2017-2018****PHYSICS**

1.	Balance point will get shifted to B, Increase in diameter of the wire will cause decrease in potential drop per unit length	½  ½	<b>1</b>
2.	Current per unit area (taken normal to the current) is called current density. Unit - A/m <sup>2</sup>	½  ½	<b>1</b>
3.	$\omega = \frac{1}{\sqrt{LC}}$ L should be changed to L/2	½  ½	<b>1</b>
4.	1. Used in radars 2. Used in communication. (Any two uses) ½ each	  ½ X 2	<b>1</b>
5.	Collector current - decreases Base current - increases	½  ½	<b>1</b>
6.	We know that  $u_E = \frac{1}{2} \epsilon_0 E_{rms}^2$  $= \frac{1}{2} \epsilon_0 c^2 B_{rms}^2 \quad [ E_{rms} = c B_{rms} ]$  $= \frac{1}{2} \epsilon_0 \frac{1}{\epsilon_0 \mu_0} B_{rms}^2 \quad [ c = \frac{1}{\sqrt{\epsilon_0 \mu_0}} ]$  $= \frac{1}{2} \frac{1}{\mu_0} B_{rms}^2$ $u_E = u_B$	½  ½  ½	<b>2</b>

7.



Consider an infinitely large plane sheet of charge density  $\lambda$ . We have to find the electric field at a point P distant 'r' from this plane sheet of charge. For this imagine a Gaussian cylinder of small area of cross section  $A$  with one end passing through the point P, penetrating the sheet and extending to both sides equally.

$$\text{Total electric flux} = \phi = \oint \vec{E} \cdot \vec{ds}$$

$$\phi = \int_{\text{Curved surface}} \vec{E} \cdot \vec{ds}_2 + \int_{\text{End faces}} \vec{E} \cdot \vec{ds}$$

$$\phi = \int_{\text{Curved surface}} E ds_2 \cos 90^\circ + \int_{\text{End faces}} E ds \cos 0^\circ$$

$$\phi = \int_{\text{End faces}} E ds$$

$$\phi = E 2A \text{ --- (i)}$$

The charge enclosed by the Gaussian cylinder,  $q = A\sigma$

Applying Gauss's theorem

$$\phi = \frac{q}{\epsilon_0}$$

$$\phi = \frac{A\sigma}{\epsilon_0} \text{ --- (ii)}$$

From (i) & (ii)

$$E = \frac{\sigma}{2\epsilon_0}$$

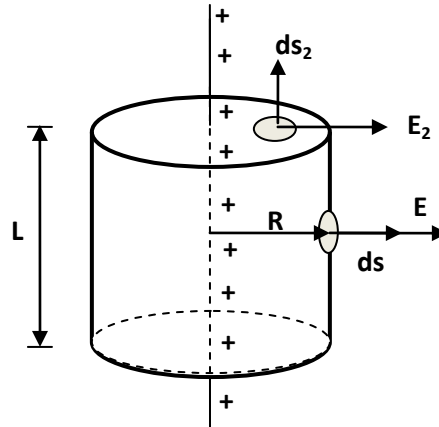
2

 $\frac{1}{2}$  $\frac{1}{2}$  $\frac{1}{2}$  $\frac{1}{2}$

**OR**

**OR** Consider an infinitely long straight wire of charge density  $\lambda$ . To find the electric field at a point P distant  $R$  from this line charge. For this imagine a Gaussian cylinder of radius  $R$  and length  $L$  with the line charge as the axis.

**2**



$\frac{1}{2}$

Total electric flux =  $\phi = \oint \vec{E} \cdot \vec{ds}$

$$\phi = \int_{\text{Curved surface}} E ds \cos 0 + \int_{\text{End faces}} E_2 ds_2 \cos 90$$

$$\phi = \int_{\text{Curved surface}} E ds$$

$$\phi = E \int_{\text{CS}} ds = E 2\pi RL$$

$$\phi = E 2\pi RL \text{ ----- (i)}$$

$\frac{1}{2}$

The charge enclosed by the Gaussian cylinder,  $q = \lambda L$

Applying Gauss's theorem

$$\phi = \frac{q}{\epsilon_0} \text{ ----- (ii)}$$

$\frac{1}{2}$

From (i) & (ii)

$$E 2\pi RL = \frac{q}{\epsilon_0} = \frac{\lambda L}{\epsilon_0}$$

$$E = \frac{\lambda}{2\pi\epsilon_0 R}$$

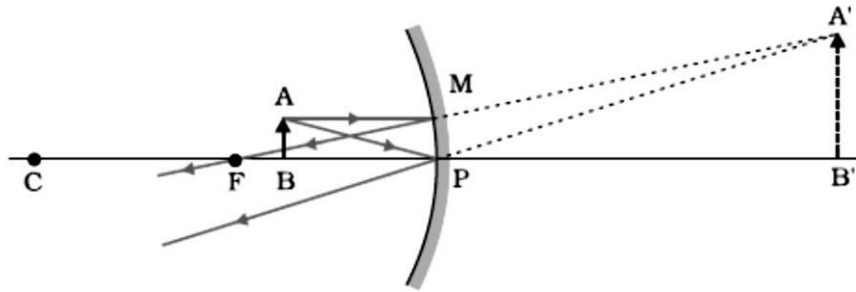
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	<p>then</p> $\varepsilon_s = v_s$ $\therefore v_s = N_s \frac{d\phi}{dt} \text{ --- --- (i)}$ <p>Back emf produced in the primary = <math>\varepsilon_p</math></p> $\varepsilon_p = N_p \frac{d\phi}{dt}$ <p>But</p> $\varepsilon_p = v_p$ <p>If this were not so, the primary current would be infinite</p> $\therefore v_p = N_p \frac{d\phi}{dt} \text{ --- --- (ii)}$ <p>From (i) and (ii) we get</p> $\frac{v_s}{v_p} = \frac{N_s}{N_p}$ <p><math>\frac{N_s}{N_p}</math> is known as transformation ratio</p> <p>For step - up transformer <math>v_s &gt; v_p</math></p> <p>Therefore</p> $\frac{N_s}{N_p} > 1$	<p><math>\frac{1}{2}</math></p> <p><math>\frac{1}{2}</math></p> <p><math>\frac{1}{2}</math></p>	
12.	<p>(i) <math>12\mu\text{F}</math> and <math>6\mu\text{F}</math> are connected in parallel therefore they have a common potential difference.</p> <p>We know that,</p> $U_6 = \frac{1}{2} C_6 V^2$ $U_{12} = \frac{1}{2} C_{12} V^2$ $\frac{U_6}{U_{12}} = \frac{C_6}{C_{12}}$	<p><math>\frac{1}{2}</math></p> <p><math>\frac{1}{2}</math></p>	3

	<p>Therefore <math>U_{12} = 2E</math></p> <p>(ii) Equivalent capacitance of the <math>12\mu F</math> and <math>3\mu F</math></p> $C_{18} = C_6 + C_{12} = 12\mu F + 6\mu F = 18\mu F$ <p>Total energy possessed by <math>C_{18} = 2E + E = 3E</math></p> <p><math>C_{18}</math> and <math>C_3</math> are connected in series therefore they have same charge</p> $U_{18} = \frac{1}{2} \frac{Q^2}{C_{18}}$ $U_3 = \frac{1}{2} \frac{Q^2}{C_3}$ $\frac{U_{18}}{U_3} = \frac{C_3}{C_{18}}$ <p>Therefore <math>U_3 = 18E</math></p> <p>(iii) Total energy possessed by the combination <math>= 18E + 3E = 21E</math></p>	<p><math>\frac{1}{2}</math></p> <p><math>\frac{1}{2}</math></p> <p><math>\frac{1}{2}</math></p> <p><math>\frac{1}{2}</math></p>	
13.	<p>(a) Resolving power of a microscope is define as the reciprocal of the minimum distance between the two objects, such that the objects can be seen as two separate objects when observed through the microscope</p> $R.P = \frac{2\mu \sin \beta}{1.22 \lambda}$ <p>(b)</p> <p>(i) Wavelength of electron beam is smaller than visible light, therefore resolving power of electron microscope is more than that of the optical microscope</p> <p>(ii) Refractive index of the oil is greater than that of air.</p>	<p>1</p> <p><math>\frac{1}{2}</math></p> <p>1</p> <p><math>\frac{1}{2}</math></p>	<b>3</b>
14.	<p>Potential energy <math>= -mB\cos\theta</math></p> <p>(a) Configuration <math>Q_1</math> and <math>Q_2</math> <math>\theta = 90^\circ</math></p> <p>(b) (i) Stable <math>Q_3</math> and <math>Q_6</math> <math>\theta = 0^\circ</math></p> <p>(ii) Unstable <math>Q_4</math> and <math>Q_5</math> <math>\theta = 0^\circ</math></p> <p>(c) Lowest potential energy for configuration <math>Q_6 = -mB</math></p>	<p><math>\frac{1}{2} + \frac{1}{2}</math></p> <p><math>\frac{1}{2}</math></p> <p><math>\frac{1}{2}</math></p> <p><math>\frac{1}{2} + \frac{1}{2}</math></p>	<b>3</b>

15.



$$\Delta ABP \approx \Delta A'B'P$$

$$\therefore \frac{AB}{A'B'} = \frac{BP}{B'P} \quad \text{----- (i)}$$

$$\Delta MPF \approx \Delta A'B'F$$

$$\therefore \frac{MP}{A'B'} = \frac{FP}{FB'} \quad \text{-----(ii)}$$

But  $MP = AB$  [ aperture of the mirror is very small & AM is paraxial ray ]

$\therefore$  equ (ii) becomes

$$\frac{AB}{A'B'} = \frac{FP}{FB'} \quad \text{-----(iii)}$$

Comparing equ (i) and (iii)

$$\frac{FP}{FB'} = \frac{BP}{B'P} \quad \text{-----(iv)}$$

From the ray diagram  $FB' = FP + B'P$

$\therefore$  equ (iv) becomes

$$\frac{FP}{FP + B'P} = \frac{BP}{B'P} \quad \text{-----(v)}$$

Using sign convention, we have

$$FP = -f, \quad B'P = v \quad \& \quad BP = -u.$$

$\therefore$  equ (v) becomes

$$\frac{f}{v + (-f)} = \frac{-u}{v}$$

Rearranging the terms we get

$$\frac{1}{f} = \frac{1}{u} + \frac{1}{v}$$

3

$\frac{1}{2}$

$\frac{1}{2}$

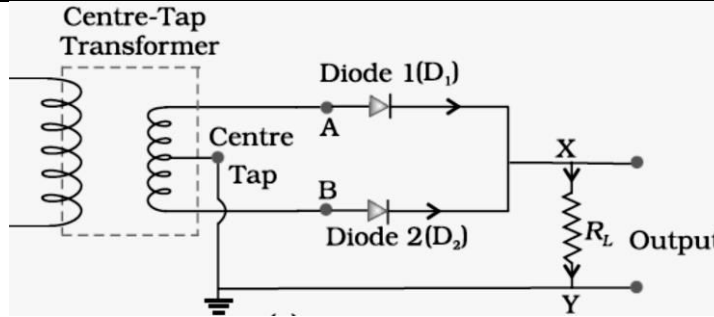
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$\frac{1}{2}$





18.

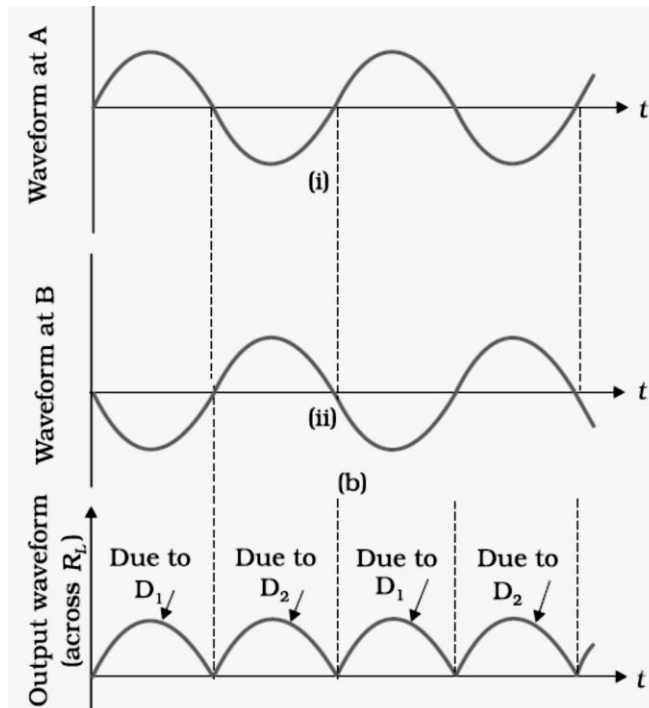


During the positive cycle of out-put at the secondary of the transformer, terminal A is positive and B is negative with respect to the centre of the secondary. So, diode D<sub>1</sub> gets forward biased and conducts and while D<sub>2</sub> gets reverse biased and does not conduct.

Hence, during this positive half cycle we get output voltage across the load resistor R<sub>L</sub> as shown in Fig.

In the negative cycle of the ac, diode D<sub>1</sub> would not conduct but diode D<sub>2</sub> would, giving an output current and output voltage across R<sub>L</sub>.

Thus, we get output voltage during both the positive as well as the negative half of the cycle.



3

1

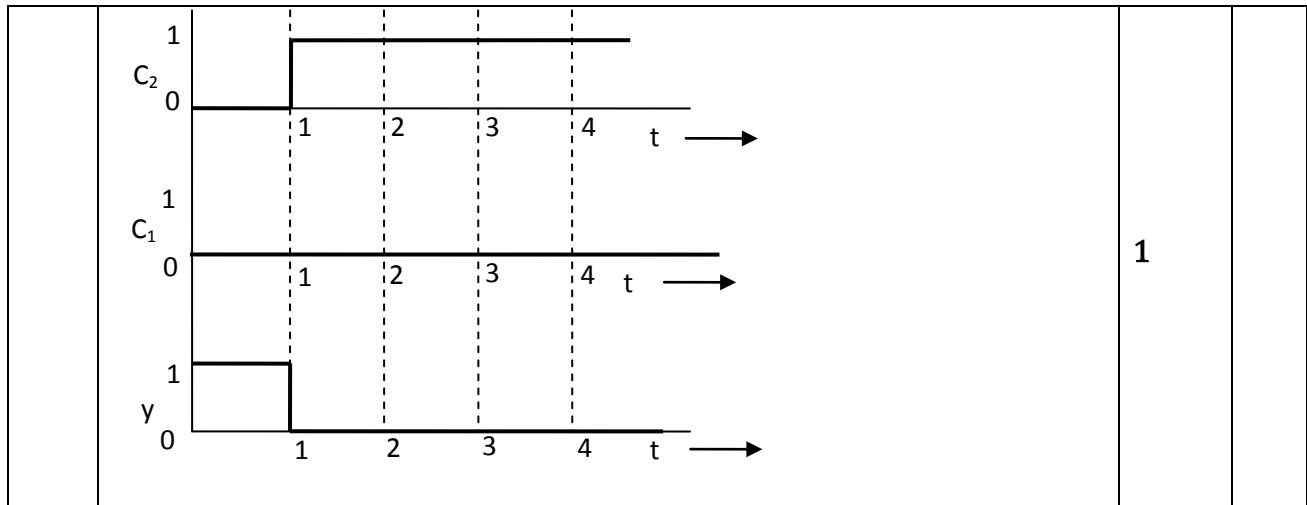
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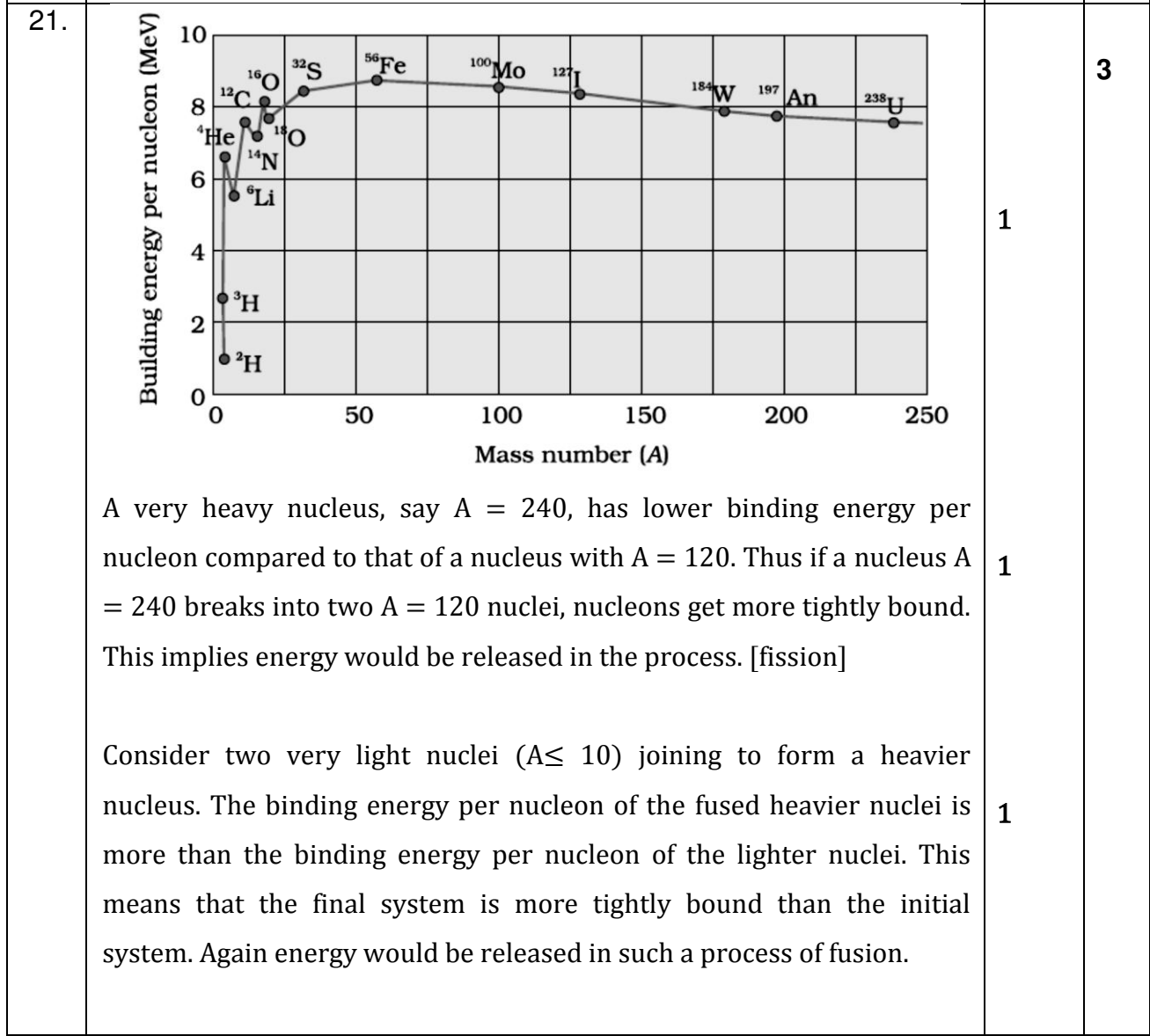
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19.	<p><b>Observations</b></p> <p>1. Intensity of scattered electrons is maximum at scattering angle <math>\varphi = 50^\circ</math>.</p> <p>2. When accelerating voltage is 54V intensity of scattered electrons obtains maximum</p> <p><b>Explanation</b></p> <p>The selective reflection of the 54 V electrons at an angle of <math>50^\circ</math> is due to the diffraction of electrons from the regularly spaced electrons of the nickel crystal by virtue of their wave nature.</p> $\theta = \frac{1}{2}(180 - \varphi)$ $\varphi = 50^\circ, \quad \theta = \frac{1}{2}(180 - 50^\circ) = 65^\circ$ <p>According to Braggs law</p> $2d \sin \theta = n\lambda$ <p>For first order diffraction <math>n = 1</math></p> <p>For nickel , the distance between atomic planes ,</p> $d = 0.91 \times 10^{-10} \text{ m}$ <p>Therefore <math>\lambda = 2 \times 0.91 \times 10^{-10} \sin 65</math></p> $= 1.66 \times 10^{-10} \text{ m} \text{ -----(i)}$ <p>According to de - Broglie wavelength of the electron accelerated through 54V</p> $\lambda = \frac{12.27 \times 10^{-10}}{\sqrt{54}}$ $= 1.65 \times 10^{-10} \text{ m} \text{ -----(ii)}$ <p>As the two results (i) and (ii) are in agreement, the experiment establishes the wave nature of an electron.</p>	<p><math>\frac{1}{2}</math></p> <p><math>\frac{1}{2}</math></p> <p><math>\frac{1}{2}</math></p> <p><math>\frac{1}{2}</math></p> <p><math>\frac{1}{2}</math></p> <p><math>\frac{1}{2}</math></p> <p>1</p>	3
	OR		





1

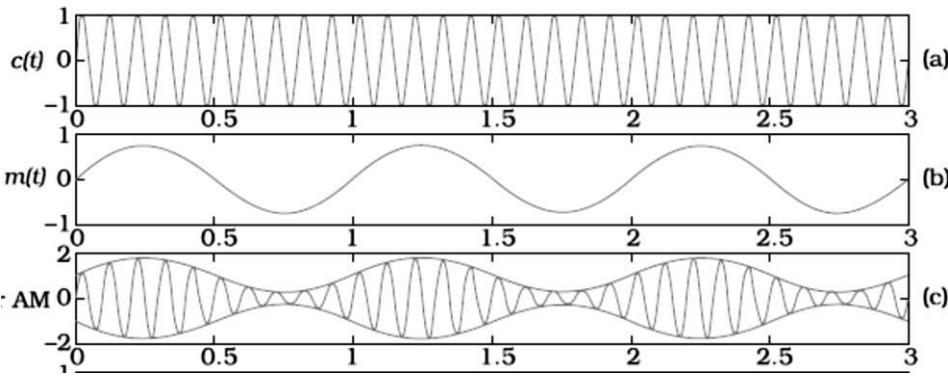


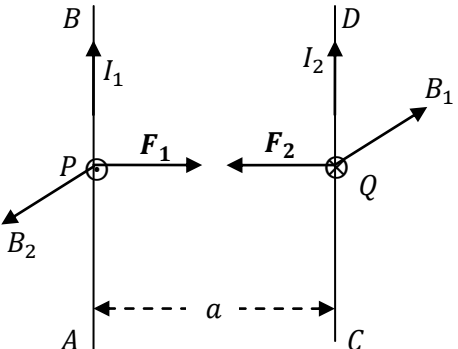
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1

1

1

<p>22.</p>	<p>(a)</p> <p>(i) Practical antenna height</p> <p>For efficient transmission and reception, the antennas must have a length equal to quarter wavelength of message signal. i.e. <math>L = \lambda/4</math>. For an audio signal of frequency 15 kHz, the length of antenna is approximately 5000 m. This height of antenna is not practical.</p> <p>(ii) Effective power radiated by an antenna</p> <p>It is found that power radiated by an antenna <math>\propto (l/\lambda)^2</math>. From this equation it is clear that for the same antenna height, the power radiated by the short wavelength or high frequency would be large. For the effective transmission, we need high power.</p> <p>(iii) Mixing up of signals from different transmitters.</p> <p>If all transmitters are transmitting baseband information simultaneously then all signals will get mixed up and there is no way to distinguish between them (Any two points)</p> <p>(b)</p> 	<p>1+1</p> <p>1</p>	<p>3</p>
<p>23.</p>	<p>(a) Respect and value for human life, Presence of mind or mentally aware of the situation happening around him.</p> <p>(b) Current passes only when there is difference in potential.</p> <p>(c) <math>P = V_{rms} I_{rms} \cos\phi</math>, Where <math>\cos\phi</math> is the power factor. To transmit power at a given voltage <math>V_{rms}</math>, if <math>\cos\phi</math> is small then</p>	<p>1+1</p> <p><math>\frac{1}{2}</math></p> <p><math>\frac{1}{2}</math></p>	<p>4</p>

	<p><math>I_{\text{rms}}</math> has to be increased accordingly. Hence the power loss <math>I^2_{\text{rms}} R</math> in transmission will increase. Hence to avoid the electric power from a power plant is set, to a very high voltage before transmitting so as to avoid the power loss.</p>	1	
24.	<p>(a)</p> <p>AB and CD are two straight very long parallel conductors placed in air at a distance <math>a</math>. They carry currents <math>I_1</math> and <math>I_2</math> respectively.</p>  <p>The magnetic field due to current <math>I_1</math> in AB at a distance <math>a</math> is</p> $B_1 = \frac{\mu_0 I_1}{2\pi a} \quad \text{--- (1)}$ <p>This magnetic field acts perpendicular to the plane of the paper and inwards.</p> <p>The conductor CD with current <math>I_2</math> is situated in this magnetic field. Force on a segment of length <math>l</math> of CD due to magnetic field <math>B_1</math> is</p> $F_2 = B_1 I_2 l \quad (\text{along } QP)$ $F_2 = \frac{\mu_0 I_1 I_2 l}{2\pi a} \quad (\text{along } QP) \quad \text{--- (2)}$ <p>The magnetic field due to current <math>I_2</math> in CD at a distance <math>a</math> is</p> $B_2 = \frac{\mu_0 I_2}{2\pi a} \quad \text{--- (3)}$ <p>This magnetic field acts perpendicular to the plane of the paper and inwards.</p>	5	

The conductor AB with current  $I_1$  is situated in this magnetic field. Force on a segment of length  $l$  of AB due to magnetic field  $B_2$  is

$$F_1 = B_2 I_1 l \quad (\text{along } PQ)$$

$$F_1 = \frac{\mu_0 I_2 I_1 l}{2\pi a} \quad (\text{along } PQ) \quad \text{--- (4)}$$

These two forces given in equations (2) and (4) are equal in magnitude and opposite in direction. Hence, two parallel wires carrying currents in the same direction attract each other.

**(b) Definition of ampere**

Force per unit length of the conductor is

$$\frac{F}{l} = \frac{\mu_0 I_2 I_1}{2\pi a}$$

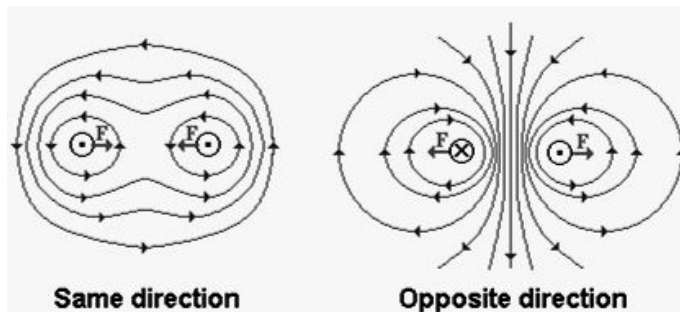
If  $I_1 = 1 \text{ A}$ ,  $I_2 = 1 \text{ A}$  and  $a = 1 \text{ m}$

$$\frac{F}{l} = \frac{\mu_0 \times 1 \times 1}{2\pi \times 1} = \frac{\mu_0}{2\pi}$$

$$\frac{F}{l} = 2 \times 10^{-7} \text{ N/m}$$

*Ampere is defined as that constant current which when flowing through two parallel infinitely long straight conductors of negligible cross section and placed in air or vacuum at a distance of one metre apart, experience a force of  $2 \times 10^{-7}$  newton per unit length of the conductor.*

**(c) Magnetic field lines due two long parallel current-carrying conductors.**



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1/2

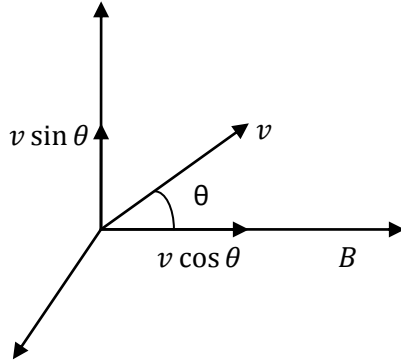
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1

	OR		
<b>OR</b>	<p>(a) Since the magnetic force experienced by the charged particle is perpendicular to its velocity, this force acts as centripetal force and charged particle will move along a circular path of radius <math>r</math>.</p> $F_c = F_m$ $\frac{mv^2}{r} = qvB \sin \theta$ $\frac{mv}{r} = qB \quad [\sin 90 = 1]$ $r = \frac{mv}{qB}$ <p>(i) <b>Time Period:</b></p> $\text{Time Period} = \frac{\text{Distance covered in one cycle}}{\text{Speed of the particle}}$ $T = \frac{2\pi r}{v}$ $T = \frac{2\pi m}{qB}$ <p>(ii) <b>Kinetic energy</b></p> $E = \frac{1}{2} mv^2$ $E = \frac{1}{2} \frac{q^2 B^2 r^2}{m}$ <p>(b) <b>Velocity is inclined to the magnetic field</b></p> <p>When velocity makes angle <math>\theta</math> with magnetic field, there will be one component of velocity parallel to the field and another component perpendicular to the field as shown in the figure.</p>	<p><b>5</b></p> <p><math>\frac{1}{2}</math></p> <p><math>\frac{1}{2}</math></p> <p><math>\frac{1}{2}</math></p> <p><b>1</b></p>	





Because of these two component particle will move along a **helical path** inside the field

Parallel component  $v_{\parallel} = v \cos \theta$  will cause the particle to move in the direction of field without experiencing any force.

Perpendicular component  $v_{\perp} = v \sin \theta$  will cause the particle to move perpendicular to the field and experience a centripetal force.

**Radius of the circular path**

$$r = \frac{mv_{\perp}}{qB} = \frac{mv \sin \theta}{qB}$$

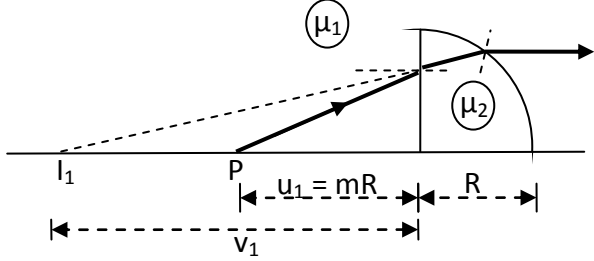
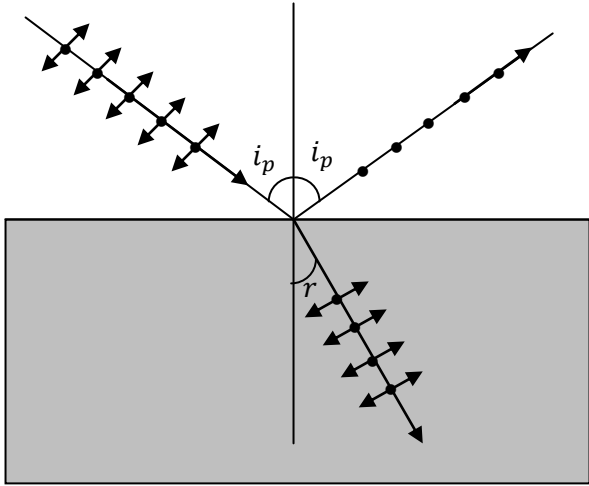
**Time period of revolution**

$$T = \frac{2\pi r}{v_{\perp}} = \frac{2\pi}{v \sin \theta} \frac{mv \sin \theta}{qB}$$

$$T = \frac{2\pi m}{qB}$$

**Time period** of revolution of charge particle is **independent of angle between  $v$  and  $B$ .**

		$\frac{1}{2}$	
		$\frac{1}{2}$	
		1	
25.	<p>(a) Focal length increases</p> <p>We know that</p> $\frac{1}{f} = (n_g - 1) \left[ \frac{1}{R_1} - \frac{1}{R_2} \right]$ <p>Since refractive index of the in water is less than that in air, focal length increases.</p>	1	5
		$\frac{1}{2}$	
		$\frac{1}{2}$	

	<p>(b)</p>  <p>Refraction at plane surface</p> $-\frac{1}{u_1} + \frac{\mu}{v_1} = \frac{\mu - 1}{R_1}$ $u_1 = -mR; R_1 = \infty; \mu = 1.5 \quad \therefore v_1 = -1.5mR$ <p>Refraction at curved surface</p> $-\frac{1}{u_2} + \frac{\mu}{v_2} = \frac{\mu - 1}{R_2}$ $u_2 = -(v_1 + R) = -(1.5mR + R); R_2 = -R; v_2 = \infty; \mu = 1.5$ $\therefore m = \frac{4}{3}$	<p><math>\frac{1}{2}</math></p> <p><math>\frac{1}{2}</math></p> <p><math>\frac{1}{2} + \frac{1}{2}</math></p> <p><math>\frac{1}{2}</math></p> <p><math>\frac{1}{2}</math></p>	
OR			
OR	<p>(a)</p>  <p>Brewster's law</p> <p>When light is incident at polarizing angle at the interface of a refracting medium, the refractive index of the medium is equal to the tangent of the polarizing angle.</p>	<p><math>\frac{1}{2}</math></p>	5

$$\mu = \tan i_p \quad \text{--- (i)}$$

$$\mu = \frac{\sin i_p}{\sin r} \quad \text{--- (ii)}$$

Using (i) & (ii)

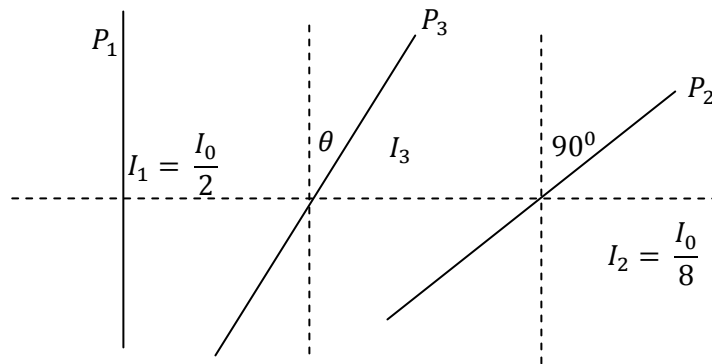
$$\frac{\sin i_p}{\sin r} = \tan i_p \Rightarrow \frac{\sin i_p}{\sin r} = \frac{\sin i_p}{\cos i_p}$$

$$\sin r = \cos i_p \Rightarrow \sin r = \sin(90^\circ - i_p)$$

$$r = 90^\circ - i_p \Rightarrow 90^\circ = r + i_p$$

Hence reflected and the refracted ray are perpendicular to each other, when the angle of incidence is equal to polarizing angle.

(b)



Intensity of light from Polaroid  $P_1$

$$I_1 = \frac{I_0}{2}$$

According to the law of Malu's

Intensity of light from the Polaroid  $P_3$

$$I_3 = I_1 \cos^2 \theta$$

Intensity of light from the Polaroid  $P_2$

$$I_2 = I_3 \cos^2(90 - \theta)$$

$$I_2 = I_1 \cos^2 \theta \sin^2 \theta$$

$$I_2 = \frac{I_0}{4} 2 \cos^2 \theta \sin^2 \theta$$

$$I_2 = \frac{I_0}{4} \sin^2 2\theta$$

Given that

$\frac{1}{2}$

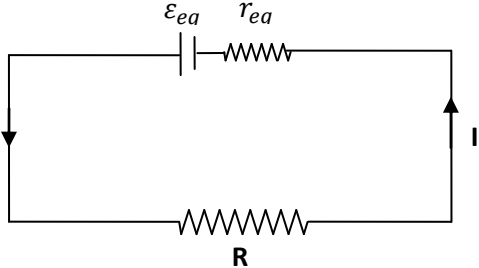
$\frac{1}{2}$

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$\frac{1}{2}$

	<p style="text-align: center;"> <math display="block">I_2 = \frac{I_0}{8}</math> <math display="block">\therefore \frac{I_0}{8} = \frac{I_0}{4} \sin^2 2\theta</math> </p> <p>Solving we get</p> <p style="text-align: center;"><math>\theta = 45^\circ</math></p>	$\frac{1}{2}$	
26.	<p>(i) Since cells are connected in parallel, voltages across the cells are same, which is equal to <math>V</math> and total current drawn from the combination is <math>I</math>.</p> <p><math>I = I_1 + I_2</math> ----- (i)</p> <p>And</p> <p>Voltage across the first cell = <math>V = \varepsilon_1 - I_1 r_1</math></p> <p style="text-align: center;"><math>I_1 = \frac{\varepsilon_1}{r_1} - \frac{V}{r_1}</math> ----- (ii)</p> <p>Voltage across the second cell = <math>V = \varepsilon_2 - I_2 r_2</math></p> <p style="text-align: center;"><math>I_2 = \frac{\varepsilon_2}{r_2} - \frac{V}{r_2}</math> ----- (iii)</p> <p>Using (i), (ii) and (iii)</p> <p style="text-align: center;"><math>V = \left( \frac{\varepsilon_1 r_2 + \varepsilon_2 r_1}{r_2 + r_1} \right) - I \left( \frac{r_1 r_2}{r_2 + r_1} \right)</math> ----- (iv)</p> <p>If <math>\varepsilon_{eq}</math> is the equivalent emf and <math>r_{eq}</math> is the internal resistance of the effective (equivalent) cell,</p> <div style="text-align: center;">  </div> <p>then</p> <p style="text-align: center;"><math>V = \varepsilon_{eq} - I r_{eq}</math> ----- (v)</p> <p>Comparing (iv) &amp; (v)</p>	<p><math>\frac{1}{2}</math></p> <p><math>\frac{1}{2}</math></p> <p><math>\frac{1}{2}</math></p> <p><math>\frac{1}{2}</math></p>	5

$$\epsilon_{eq} = \frac{\epsilon_1}{r_1} + \frac{\epsilon_2}{r_2}$$

$$\epsilon_{eq} = \frac{\epsilon_1 r_2 + \epsilon_2 r_1}{r_1 + r_2}$$

$$r_{eq} = \frac{r_1 r_2}{r_2 + r_1}$$

(ii) Voltage across the resistor  $V = \epsilon_1$

We know that  $V = \epsilon - Ir$

Since  $V = \epsilon_1$  Current drawn from the cell  $\epsilon_1 = 0$

$$\therefore V = \epsilon_2 - Ir_2$$

$$\epsilon_1 = \epsilon_2 - Ir_2$$

But we know

$$I = \frac{\epsilon_2}{R + r_2}$$

$$\therefore \epsilon_1 = \epsilon_2 - \frac{\epsilon_2 r_2}{R + r_2}$$

Solving the above equation we get

$$R = \frac{r_2 \epsilon_1}{\epsilon_2 - \epsilon_1}$$

1/2

1/2

1/2

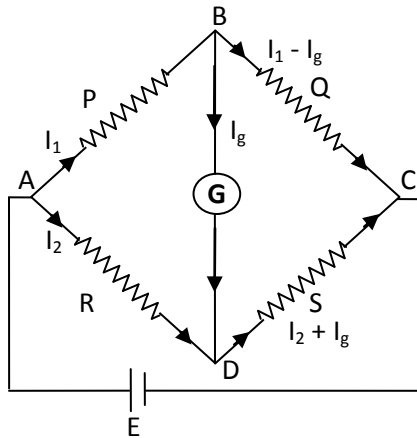
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OR

OR



5

1

(a) Wheatstone bridge is said to be balanced, when no current is flowing through the galvanometer. i.e when potential at B = potential at D

Applying Kirchhoff's Loop rule in loop ABDA

$$-I_1P - I_gG + I_2R = 0 \quad \text{--- (i)}$$

1/2

Applying Kirchhoff's Loop rule in loop BCDB

$$-(I_1 - I_g)Q + (I_2 + I_g)S + I_gG = 0 \quad \text{--- (ii)}$$

1/2

When the bridge is balanced  $I_g = 0$

1/2

$$(i) \Rightarrow -I_1P + I_2R = 0$$

$$I_1P = I_2R \quad \text{--- (iii)}$$

$$(ii) \Rightarrow -I_1Q + I_2S = 0$$

$$I_1Q = I_2S \quad \text{--- (iv)}$$

$$\frac{(iii)}{(iv)} \Rightarrow \frac{I_1P}{I_1Q} = \frac{I_2R}{I_2S}$$

$$\frac{P}{Q} = \frac{R}{S}$$

1/2

(b) Condition for balancing

